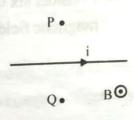
SINGLE CORRECT TYPE QUESTIONS

Biot savart law

A long, straight wire carrying a current of 1.0 A is placed horizontally in a uniform magnetic field $B = 1.0 \times 10^{-5}$ T pointing vertically upward (figure). The magnitude of the resultant magnetic field at the points P and Q, both situated at a distance of 2.0 cm from the wire in the same horizontal plane are respectively



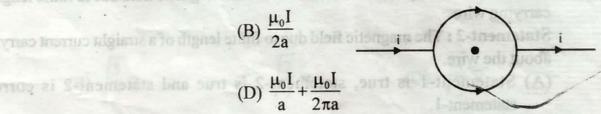
- (A) zero, 20 μT
- (B) 20 μT, zero
- (C) zero, zero
- (D) $20 \mu T$, $20 \mu T$

Two parallel wires carry equal currents of 10 A along the same direction and are separated by a distance of 2.0 cm. Find the magnetic field at a point which is 2.0 cm away from each of these wires.

- (A) 3.4×10^{-4} T in a direction parallel to the plane of the wires and perpendicular to the wires
- (B) 1.7×10^{-4} T in a direction parallel to the plane of the wires and parallel to the wires
- (C) 1.7×10^{-4} T in a direction parallel to the plane of the wires and perpendicular to the wires
- (D) 3.4 × 10⁻⁴ T in a direction parallel to the plane of the wires and parallel to the wires

A conducting circular loop of radius a is connected to two long, straight wires. The straight wires carry a current i as shown in figure. Find the magnetic field B at the centre of the loop.

(A) zero



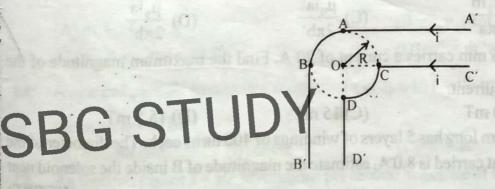


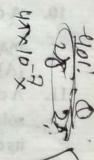
(C) $\frac{\mu_0 I}{2}$ (D) $\frac{\mu_0 I}{2\pi a} + \frac{\mu_0 I}{2\pi a}$

A piece of wire carrying a current of 6.00 A is bent in the form of a circular arc of radius 10.0 cm, and it subtends an angle of 120° at the centre. Find the magnetic field B due to this piece of wire at the centre.

- (A) zero
- (B) 1.26×10^{-5} T
- (C) 5×10^{-5} T
- (D) 7.2×10^{-5} T

All straight wires are very long. Both AB and CD arc area of the same circle, both subtending right 5. angles at the centre O. Then the magnetic field at O is

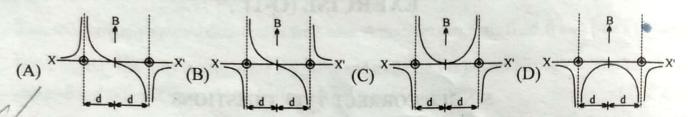




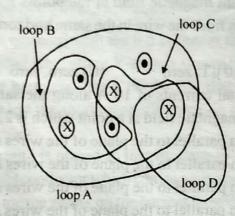
- (A) $\frac{\mu_0 l}{4\pi R}$
- (B) $\frac{\mu_0 i}{4\pi R} \sqrt{2}$
- (C) $\frac{\mu_0 i}{2\pi R}$
- (D) $\frac{\mu_0 i}{2\pi R} (\pi + 1)$



Two long parallel wires are at a distance 2d apart. They carry steady equal currents flowing out of the plane of the paper, as shown. The variation of the magnetic field B along the XX' is given by



Consider six wires coming into or out of the page, all with the same current. Rank the line integral of the magnetic field (from most positive to most negative) taken counterclockwise around each loop shown.



(A) B > C > D > A

(B) B > C = D > A

(C) B > A > C = D

Statement-1: Ampere law can be used to find magnetic field due to finite length of a straight current carrying wire.

Statement-2: The magnetic field due to finite length of a straight current carrying wire is symmetric about the wire.

- (A) Statement-1 is true, statement-2 is true and statement-2 is correct explanation for statement-1.
- (B) Statement-1 is true, statement-2 is true and statement-2 is NOT the correct explanation for statement-1.
- (C) Statement-1 is true, statement-2 is false.
- (D) Statement-1 is false, statement-2 is true.
- A long, cylindrical wire of radius b carries a current i distributed uniformly over its cross-section. Find the magnitude of the magnetic field at a point inside the wire at a distance a from the axis.

(A) zero

(B) $\frac{\mu_0 ib}{2\pi a^2}$

(C) $\frac{\mu_0 ia^2}{2\pi b^3}$

(D) $\frac{\mu_0 ia}{2\pi h^2}$

A copper wire of diameter 1.6 mm carries a current of 20 A. Find the maximum magnitude of the 10. magnetic field B due to this current.

(A) 5.0 mT

(B) 10 mT

(C) 15 mT

(D) 15.5 mT

A closely wound solenoid 80 cm long has 5 layers of windings of 400 turns each. The diameter of the 11. solenoid is 1.8 cm. If the current carried is 8.0 A. estimate the magnitude of B inside the solenoid near (NCERT) its centre.

(A) zero

(B) $8\pi \times 10^{-3} \, \text{T}$

(C) $15\pi \times 10^{-3} \text{ T}$

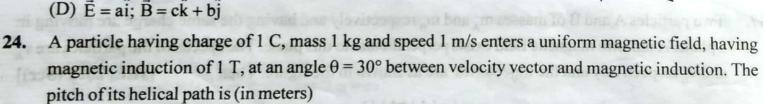
(D) $\pi \times 10^{-3} \, \text{T}$

| MO | tiun of charge partie | ic . | Control of the State of the Sta | THE VECTOR DESIGNATION OF PERSONS ASSESSMENT | |
|-----|--|---|--|--|--|
| 12. | A charged particle magnetic field, the | enters a non-uniform unen the radius of curvature | ni-directional field such the of its path is (in standard) | nat initial velocity is parallel to notation): | |
| | (A) mV/qB | (B) 0 | (C) ∞ | | |
| 13. | A charge particle i | noves in a uniform magn | 1 | velocity is perpendicular to the | |
| | magnetic field . No | o other force acts on the p | particle. | | |
| | (A) the motion is u | miform rectilinear | F.Nº | | |
| | | be non uniform circular | motion (b) | (A) summed of all electrons | |
| | (C) the motion can | be uniform circular moti | ion 19 21 M | BX = Moni | |
| | (D) the motion mu | st be uniform circular mo | otion. | (L) seculor for the faster of | |
| 14. | | | | | |
| | circular motion inside the solenoid with a frequency of 1.00 × 108 rev/s. Find the number of turns per | | | | |
| | metre in the soleno | oid. and anote Labourb | aciliam magnerio field B | | |
| | (A) 500 Turns/m | (B) 1020 Turns/m | (C) 1232 Turns/m | (D) 1420 Turns/m | |
| 15. | An electron is mov | ing along positive x-axis | s. A uniform electric field | exists towards negative y-axis. | |
| | What should be th | e direction of magnetic fi | ield of suitable magnitude | so that net force of electron is | |
| | zero | | uticle moving in a x-y p | | |
| | (A) positive z- axis | s (B) negative z-axis | (C) positive y-axis | (D) negative y-axis | |
| 16. | An electron havin | g kinetic energy T is mo | oving in a circular orbit | of radius R perpendicular to a | |
| | uniform magnetic i | nduction B. If kinetic en | ergy is doubled and magn | etic induction tripled, the radius | |
| | will become | 100 | 264 | The latest was a little | |
| | | 'n | | | |
| | | eroc is Figure 112 Will | The Section in each is | (10) E-al, 0 - ck# alad | |
| | $(A) \frac{3R}{2}$ | (B) $\sqrt{\frac{3}{2}}$ R | (C) $\sqrt{\frac{2}{9}}$ R | (D) $\sqrt{\frac{4}{3}}$ R | |
| | 2 | (B) V2 " | (C) 19 K | (b) $\sqrt{3}$ k | |
| 7. | Two particles A and | d B of masses m, and m, | respectively and having | the same charge are moving in | |
| | a plane. A uniform | magnetic field exists per | pendicular to this plane. T | he speeds of the particles are v | |
| | and v _R respectively | and the trajectories are | as shown in the figure. T | hen [JEE, 2001 (Scr)] | |
| | Fig. and in shall | all managed and and | n meters) | () 24 Aing lab horizat path is () | |
| | | :7 | R' | | |
| | | Chan in the second | 7: :::: | | |
| , | | on've have normal first | | | |
| | $(A) m_A v_A < m_B v_B$ | | $(B) m_A v_A > m_B v_B$ | S A carticle with charge +Q | |
| (| C) $m_A < m_B$ and v_A | < V _B | (D) $m_A = m_B$ and v_A | = V _B | |
| A | charged particle n | noves in a magnetic fiel | $\vec{B} = 10\hat{i}$ with initial v | elocity $\vec{u} = 5\hat{i} + 4\hat{j}$. The path of | |
| | | La trib bish disma | all my many ami | u = 31 + 4j. The path of | |
| | ne particle will be | (D) 1 1 | | and an installing | |
| | A) straight line | (B) circle | (C) helical | (D) none | |
| A | n electron makes 3 | × 10 ³ revolutions per sec | cond in a circle of radius | 0.5 angstrom. Find the magnetic | |
| | eld B at the centre of | of the circle. | | PART TO SELECT TO SE | |
| (A | $86 \times 10^{-10} \text{ T}$ | (B) $12 \times 10^{-10} \text{ T}$ | (C) 18×10^{-10} T | (D) 24×10^{-10} T | |

19.

- Electrons moving with different speeds enter a uniform magnetic field in a direction perpendicular to 20. the field. They will move along circular paths. (A) of same radius (B) with larger radii for the faster electrons

 - (C) with smaller radii for the faster electrons
- (D) either (B) or (C) depending on the magnitude of the magnetic field In the previous question, time periods of rotation will be:
 - (A) same for all electrons
 - (B) greater for the faster electrons
 - (C) smaller for the faster electrons
 - (D) either (B) or (C) depending on the magnitude of the magnetic field
- 22. A particle of mass m and charge q moves with a constant velocity v along the positive x direction. It enters a region containing a uniform magnetic field B directed along the negative z direction, extending from x = a to x = b. The minimum value of v required so that the particle can just enter the region x > b is :-JEE 2002 (screening)]
- (A) q b B/m (B) q(b-a) B/m (C) q a B/m (D) q(b+a) B/2mFor a positively charged particle moving in a x - y plane initially along the x-axis, there is a sudden 23. change in it path due to the presence of electric and/or magnetic field beyond P. The curved path is shown in the x - y plane and is found to be non-circular. Which one of the following combinations is possible? [JEE 2004]
 - (A) $\vec{E} = 0$; $\vec{B} = b\hat{i} + c\hat{k}$
 - (B) $\vec{E} = a\hat{i}$: $\vec{B} = c\hat{k} + a\hat{i}$
 - (C) $\vec{E} = 0$; $\vec{B} = c\hat{i} + b\hat{k}$
 - (D) $\vec{E} = a\hat{i}$; $\vec{B} = c\hat{k} + b\hat{j}$



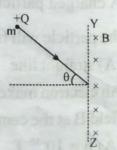
- (A) $\frac{\sqrt{3\pi}}{2}$
- (B) $\sqrt{3}\pi$
- (C) $\frac{\pi}{2}$

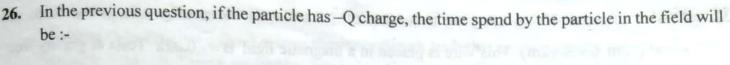
- $(D) \pi$
- A particle with charge +Q and mass m enters a magnetic field of magnitude B, existing only to the 25. right of the boundary YZ. The direction of the motion of the particle is perpendicular to the direction
 - of B. Let $T = 2\pi \frac{M}{OB}$. The time spent by the particle in the field will be
 - $(A) T\theta$

(B) 2Tθ

(C) $T\left(\frac{\pi+2\theta}{2\pi}\right)$

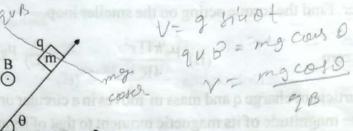
(D) $T\left(\frac{\pi-2\theta}{2\pi}\right)$





 $(A) T\theta$

- (B) 2T0
- (C) $T\left(\frac{\pi+2\theta}{2\pi}\right)$ (D) $T\left(\frac{\pi-2\theta}{2\pi}\right)$
- A block of mass m & charge q is released on a long smooth inclined plane magnetic field B is 27. constant, uniform, horizontal and parallel to surface as shown. Find the time from start when block loses contact with the surface.



- m cos 0

In a cyclotron, a charged particle

- (A) undergoes acceleration all the time.
- (B) speeds up between the dees because of the magnetic field.
- (C) speeds up in a dee.
- (D) slows down within a dee and speeds up between dees.

Ampere force & torque

In given figure, X and Y are two long straight parallel conductors each carrying a current of 2 A. The 29. force on each conductor is F newtons. When the current in each is changed to 1 A and reversed in direction, the force on each is now



- (A) F/4 and unchanged in direction (B) F/2 and reversed in direction
- (E) F/2 and unchanged in direction
- (D) F/4 and reversed in direction

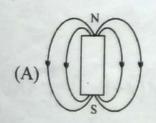
Two long and parallel straight wires A and B carrying currents of 8.0 A and 5.0 A in the same direction are separated by a distance of 4.0 cm. Estimate the force on a 10 cm section of wire A.

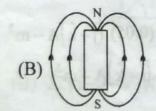
(A) 2×10^{-5} N; attractive force normal to B towards A.

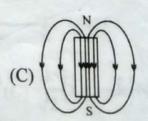
(NCERT)

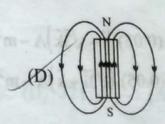
- (B) 2 × 10⁻⁵ N; attractive force normal to A towards B.
- (C) 5×10^{-5} N; attractive force normal to A towards B.
- (D) 5×10^{-5} N; attractive force normal to B towards A.
- The magnetic field lines due to a bar magnet are correctly shown in:-

[JEE 2002 (screening)]









| 32. | A wire of mass 100 g carrying a current of 2A towards increasing x is in the form of |
|-----|--|
| | $y = x^2$ ($-2m \le x \le +2m$). This wire is placed in a magnetic field $B = -0.02\hat{k}$ Tesla & gravity free |
| | region. The acceleration of the wire (in m/s ²) is: |

$$(A) -1.6\hat{j}$$

(B)
$$-3.2\hat{j}$$

33. A circular loop of radius R carries a current I. Another circular loop of radius r(<<R) carries a current i and is placed at the centre of the larger loop. The planes of the two circles are at right angle to each other. Find the torque acting on the smaller loop.

(B)
$$\frac{\mu_0 \pi i I r^2}{4R}$$
 (C) $\frac{\mu_0 \pi i I r^2}{2R}$

(C)
$$\frac{\mu_0 \pi i I r^2}{2R}$$

(D)
$$\frac{\mu_0 \pi i I r^2}{R}$$

- A particle of charge q and mass m moves in a circular orbit of radius r with angular speed ω. The ratio 34. of the magnitude of its magnetic moment to that of its angular momentum depends on.
 - (A) ω and q
- (B) ω, q and m
- (C) q and m
- 35. A rectangular coil PQ has 2n turns, an area 2a and carries a current 21, (refer figure). The plane of the coil is at 60° to a horizontal uniform magnetic field of flux density B. The torque on the coil due to magnetic force is :-

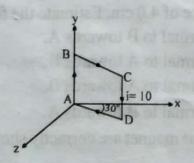


- (A) Bnal sin60°
- (B) 8BnaI cos60°
- (C) 4nal Bsin60°
- The square loop ABCD, carrying a current I, is placed in a 36. uniform magnetic field B, as shown. The loop can rotate about the axis XX'. The plane of the loop makes an angle θ (θ < 90°) with the direction of B. Through what angle will the loop rotate by itself before the torque on it becomes zero-
 - $(A)\theta$

(B) $90^{\circ} - \theta$

(C) $90^{\circ} + \theta$

- (D) $180^{\circ} \theta$
- Figure shows a square current carrying loop ABCD of side 10 cm and current i = 10A. The magnetic 37. moment M of the loop is

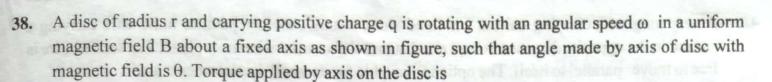


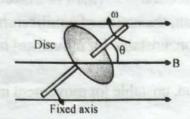
(A) (0.05)
$$(\hat{i} - \sqrt{3}\hat{k})A - m^2$$

(C) (0.05)
$$(\sqrt{3}\hat{i} + \hat{k})A - m^2$$

(B)
$$(0.05) (\hat{j} + \hat{k}) A - m^2$$

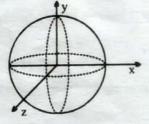
(D)
$$(\hat{i} + \hat{k})A - m^2$$



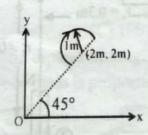


(A) $\frac{q\omega r^2 B \sin \theta}{2}$, clockwise

- (B) $\frac{q\omega r^2 B \sin \theta}{4}$, anticlockwise
- (C) $\frac{q\omega r^2 B \sin \theta}{2}$, anticlockwise
- (D) $\frac{q\omega r^2 B \sin \theta}{4}$, clockwise
- 39. Three rings, each having equal radius R, are placed mutually perpendicular to each other and each having its centre at the origin of co-ordinate system. If current I is flowing through each ring then the magnitude of the magnetic field at the common centre is
 - $(A)\sqrt{3}\frac{\mu_0I}{2R}$
 - (B) zero
 - (C) $\left(\sqrt{2}-1\right)\frac{\mu_0 I}{2R}$
 - (D) $\left(\sqrt{3}-\sqrt{2}\right)\frac{\mu_0 I}{2R}$



- 40. Two mutually perpendicular long conducting wire carrying currents I₁ and I₂ lie in one plane. Locus of the point at which the magnetic induction is zero, is a
 - (A) circle with centre as the point of intersection of the wire.
 - (B) parabola with vertex as the point of intersection of the wire
 - (C) straight line passing through the point of intersection of the wire
 - (D) rectangular hyperbola
- 41. A uniform magnetic field $\vec{B} = (3\hat{i} + 4\hat{j} + \hat{k})$ Tesla exist in a region of space. A semicircular wire of radius 1 m carrying a current of 1A having its centre at (2,2,0) m is placed on the X-Y plane as shown. The force on the semicircular wire will be



(A)
$$\frac{1}{\sqrt{2}} (\hat{i} - \hat{j} + \hat{k}) N$$
 (B) $\sqrt{2} (\hat{i} - \hat{j} + \hat{k}) N$ (C) $\frac{1}{\sqrt{2}} (\hat{i} + \hat{j} - \hat{k}) N$ (D) $\sqrt{2} (\hat{i} + \hat{j} - \hat{k}) N$

42. A very long wire carrying current I is fixed along x-axis. Another parallel finite wire carrying a current in the opposite direction is kept at a distance d above the wire in xy plane. The second wire is free to move parallel to itself. The options available for its small displacements are in

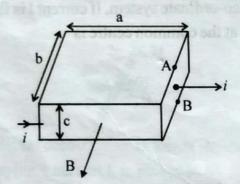
(i) +ve x direction

(ii) +ve y direction

(iii) +ve z direction

Taking gravity in negative y direction, the nature of equilibrium of second wire is

- (A) stable for movement in x direction, unstable for movement in y direction, neutral for movement in z direction
- (B) stable for movement in y direction, unstable for movement in z direction, neutral for movement in x direction
- (C) stable for movement in z direction, unstable for movement in y direction, neutral for movement in x direction
- (D) stable for movement in y direction, unstable for movement in x direction, neutral for movement in z direction
- 43. A current flows through a rectangular conductor in the presence of uniform magnetic field B pointing out of the page as shown. Then the potential difference V_B-V_A is equal to (Assume charge carries in the conductor to be positively charged moving with speed v)



(A) Bvc

(B) -Bvc

(C) Bvb

(D) -Bvb

44. A moving coil galvanometer has 150 equal divisions. Its current sensitivity is 10 divisions per milli ampere and voltage sensitivity is 2 divisions per millivolt. In order that each division reads 1 V, the resistance in Ohm's needed to be connected in series with the coil will be
[AIEEE-2005]

(A) 10^3

(B) 10^5

(C) 99995

(D) 9995

SUPPLEMENT ON MAGNETIC PROPERTIES OF MATTER

45. Two short magnets of magnetic moment 2Am² and 5Am² respectively are placed along two lines drawn at right angle to each other on the sheet of paper as shown in the figure. What is the magnetic field at the point of intersection of their axis:

